

SOME PHYSICAL LAYER ISSUES

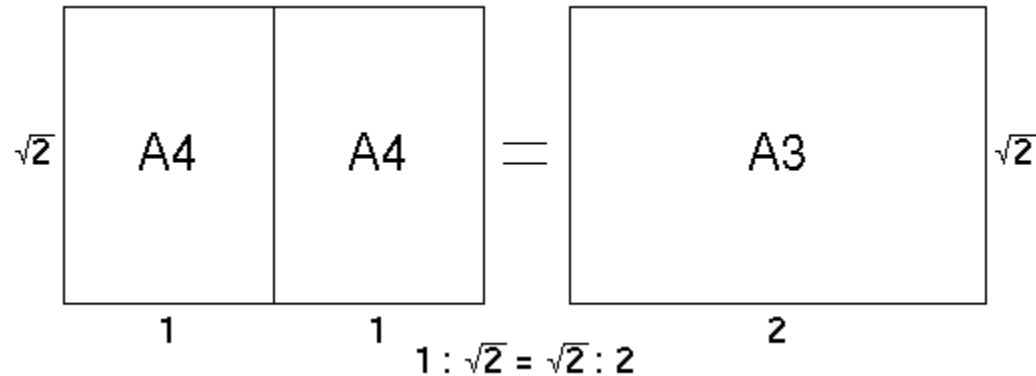
Lecture Notes 2A

Delays in networks

- Propagation time or propagation delay, t_{prop}
 - Time required for a signal or waveform to propagate (or move) from one point to another point. It is defined as d/v where d is the distance between the two points and v is the velocity of the signal.
 - Electromagnetic signal sent through space from the Sun to the Earth.
 - Velocity is the speed of light, 3×10^8 meters per second.
 - Say distance is 148.8 million kilometers.
 - Propagation time is $(148.8 / 3) \times 10^9 / 10^8 = 496$ seconds.
- Transmission time, t_{trans}
 - Links or channels for digital transmission are defined in bits/second or bps. This is called the Data Rate, R , and is the rate at which the transmitter can push bits onto the transmission line. Transmission time is the time it takes to send some number, say B bits, or B/R . Note that to be clear we can check that $\text{bits} / (\text{bits/sec}) = \text{sec}$.
 - What is the transmission time for a packet of 1500 bytes on a 10 Megabit link.
 - $1500 \times 8 / 10^7 = 1.2$ milliseconds.
- Queuing time or queuing delay, t_{queue}
 - Any time related to processing or waiting of packets in buffers.

Representation of Information Types

- Block Oriented Information: specific length blocks
 - Text files
 - Fax documents
 - Example: An A4 page is approximately 100 square inches
 - 200 pixels per inch (horizontal) by 100 pixels per inch (vertical) requires approximately 250 kilobytes prior to compression (a pixel is black or white). Compression reduces by a factor of 8 to 16. (typically lossless eg. G4)
 - JPEG color images
 - 8 x 10 inch photo uncompressed is 38.4 Mbytes before compression and about 1.2 – 8 Mbytes after compression. Assumes 400 pixels/inch horizontal and vertical, and 3 colors (RGB) with 1 byte for each color per pixel.
$$8 \times 10 \times 400 \times 400 \times 3 \text{ bytes}$$
- Stream Oriented Information: continuous stream of data
 - Voice PCM: 4 kilohertz voice is 64 kbps, standard voice channel
 - Voice ADPCM, compression technique reduces rate to 16-32 kbps
 - Audio MP3 compression
 - Video MPEG 2
 - 1920 x 1080 pixel frames at 30 frames /second requires about 1.5 Gbps (includes 20 bits/pixel and vertical/horizontal blanking and embedded audio) uncompressed is reduced to 19-38 Mbps compressed



A4 Fax Document Standard

1/16 m², 5 grams / page typically

210 millimeters x 297 millimeters
(slightly bigger than 8 1/2 by 11)

*Note the importance of being clear on the
units used for measurement (*

Importance of Units

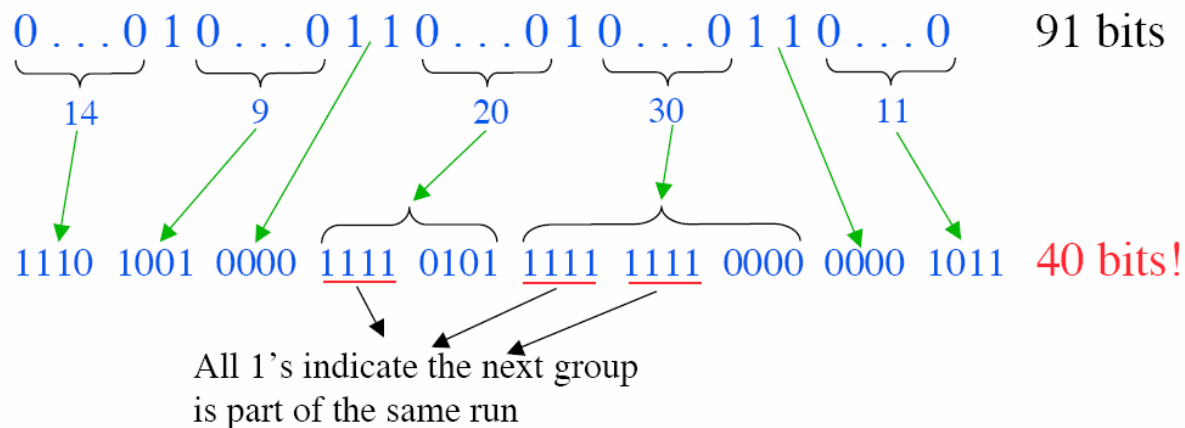
- International system of units or SI.
 - Length - meter (m)
 - Time - **second** (s)
 - Amount of substance - mole (mole)
 - **Electric current** - **ampere** (A)
 - Temperature - **kelvin** (K)
 - Luminous intensity - **candela** (cd)
 - Mass - **kilogram** (kg)
- As shown before, we can multiply and divide the units as needed to be sure we are doing things right.
 - For example, the unit of power is called watt or W.
 - $1 \text{ watt} = 1 \text{ W} = 1 \text{ kg} \cdot \text{m}^2 / \text{s}^3$

Data Compression Techniques

- Why data compression? reduce amount of storage space required to represent the document
 - Compression ratio: size of uncompressed / size of compressed
 - Lossless data compression
 - Example: run length encodings
 - Sequences of likely symbols encoded into runs
 - Many different ways to do this.
 - Example: Use two bytes, where the first byte is the symbol and the second byte is the length of the run
 - Lossy data compression
 - Compressed file is an approximation of the original data
 - Better compression ratio is achieved.
 - For example, MP3 can achieve a factor of 14 reduction.
 - Example: unencoded MP3 requires about 1.4 Mbits/sec (2 channels, 16 bits per sample, at a rate of 44100 samples per second). Thus, 1 hour is about 317 MB (about $\frac{1}{2}$ of an audio CD and $\frac{1}{14}$ of common DVDs) Through MP3 compression, we can compress to say 128 kbits /second.

Example of run length encoding

- Binary data
 - Code the run length of 0's using k bits.
 - Transmit the code; do not transmit runs of 1
 - Runs of 1's are separated by 0 runs of 0 (ie. by the 4 bit value 0000).
 - (Example due to Tinh Nguyen): k =4, max run length in 4 bits is 15.



What are worst case and best case behaviors of this coding scheme?

Analog Information

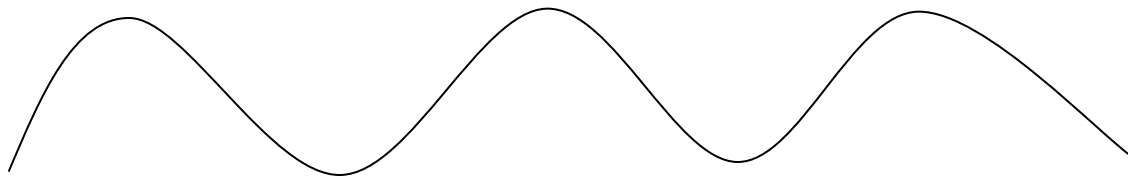
- Based on a wave that varies continuously with time
- Example
 - Sound
 - Electromagnetic radiation
- Periodic signal repeats over time
- representation of analog signals
 - Amplitude versus time
 - Frequency representation
 - Representation as sums of sines and cosines

The frequency spectrum

- Frequency: cycles per second, ie Hertz, of a sinusoidal signal
- Bandwidth: usable range of frequencies high – low: $f_2 - f_1$
- Typical telephone voice channel is 4k Hz

Some approximate frequencies

300 Hz – 20,000 Hz	human voice / sound
50 kHz	navigation (ships, submarines, etc)
1 MHz	AM radio (20 k Hz channels)
10 MHz	CB, short wave
100 MHz	FM radio, TV
1 GHz	UHF TV, mobile telephony
10 GHz	amateur satellite
100 GHz	upper microwave – many uses (up to about 300 GHz)
10 T Hz = 10^{13} Hz	Infrared, 10^{15} Hz Visible light, 10^{18} X-rays,



Frequency and Wavelength

Frequency f : measured in oscillations (cycles) / second or Hz

Wavelength λ : measured in meters (distance)

Speed of light c : 3×10^8 m/sec

Fundamental relationship: $\lambda f = c$

CB radio: at 10 M Hz or 10^7 Hz has a wavelength of 30 meters

Amateur satellite: 10 GHz wavelength is 30 millimeters

Visible light: wavelength 600 nm (.6 micron) or 6×10^{-7} meters
has a frequency of 5×10^{14} Hz

BASICS of ANALOG SIGNALS

A typical signal is function of time $x(t)$ with time on the x-axis and amplitude (or power) on the y-axis.

Examples: $y = \sin t$, $y = \cos(2\pi (400t))$

Periodic Signals

frequency f is the number of complete cycles in 1 second

period is the time for 1 complete cycle

frequency is measured in Hz (hertz)

Let $y = \sin (2\pi 5 t)$: frequency is 5 Hz, period is $1/5$

Let $y = \cos (2 \pi 4000 t)$: 4000 Hz or 4 k Hz

Bandwidth W of a signal

Range of frequencies containing non-negligible power.

Suppose there is power at frequencies from f_1 to f_2 .

Then bandwidth $f_2 - f_1 = W$.

Shannon Capacity Theorem - How does bandwidth relate to channel capacity

- Answer relates to how fast signals (short pulses) can be sent and the characteristics of the channel such as the signal to noise ratio
- The Shannon channel capacity theorem give the theoretical maximal capacity
- Shannon's theorem: maximum bit rate for noisy channel

$$C = \text{Bandwidth} * \log_2 (1 + S/N)$$

- 4 kHz voice channel equates to 56 or 64 k bits / second.
 - This is achievable by modern modems
- From now on, will usually discuss channel capacity in bits / second.
- Some sample bit rates
 - Radio LAN in the 2.4GHz band: 2 Mbps
 - Fast Ethernet: 100 Mbps, Gigabit Ethernet,
 - Optical fiber transmission: 2.4 – 9.6 Gbps over one wavelength

Nyquist Theorem - Sampling Rate

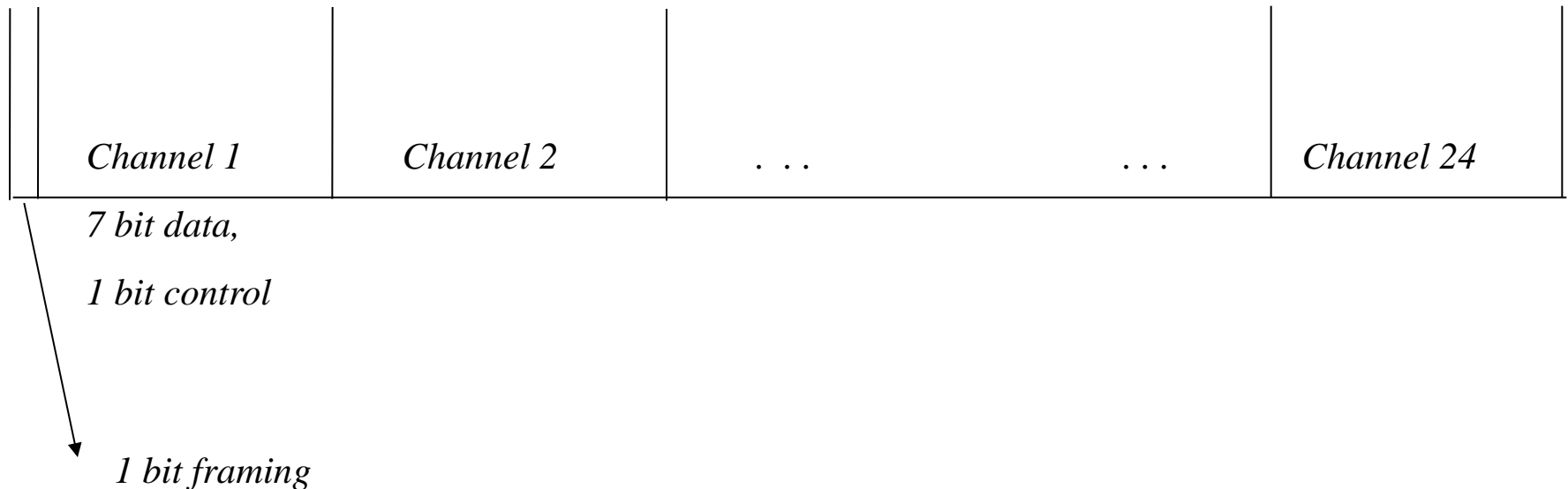
- To accurately sample a periodic (analogue) waveform in order to digitize it, need to sample at twice the highest frequency
- Sampling rate is thus $2 \times W$, where W is the bandwidth in Hz
- Example: for a 4kHz voice channel, need to sample at 8000 times a second or every 125μ sec.
- Example: MP3 – wish to get high quality audio
 - About 44,000 samples per second
 - Assuming two channels (stereo) and 16 bit samples to determine amplitude precisely, get about 1.4 Mbits per second

Multiplexing

- Multiplexing is fundamentally sharing some amount of bandwidth by many different users, channels, etc.
 - **FDM:** Frequency Division Multiplexing: dividing up the frequency spectrum into multiple channels, each channel dedicated to a particular use
 - **TDM:** Time Division Multiplexing: using the entire frequency bandwidth allotted but uses “logical slots” to transmit different channels at specific points of relative time within a logical frame that is transmitted.
- A digital telephone speech signal (corresponding to a 4 kHz channel) is obtained as follows
 - Sample the signal at twice the maximum frequency or 8000 times a second
 - Quantize the sampled value (the amplitude of the signal) to 7 bits or 128 different value.
 - This gives a bit rate of 56 kbits/second

The T-1 carrier system

- T-1 was developed to carry digitally multiplexed channels between central offices using TDM.
- T-1 multiplexed 24 voice channels in a T-1 frame as follows



Sampling rate: 1 frame is sent every 125 μ sec (8000 frames /sec)

8 bits / channel x 24 channels + 1 bit = 193 bits per frame.

Therefore, 193 bits / 125 μ sec = 1.544 Mbps

This standard signaling rate became known as DS-1 (digital signal 1)

The DS hierarchy

- DS-1: basic block, 1.544 Mbits/sec
 - Note: to send data, 1 channel is used for sending a sync byte
- DS-2: 6.312 Mbits/sec (4 DS-1 or 96 voice, plus some control)
- DS-3: 44.736 Mbits/sec
- International standards (based on the ITU hierarchy developed in Europe) is somewhat different
 - E1: 2.048 Mbits/sec supporting 30 voice channels at 64 kbits/sec each with two channels for control.

SONET Digital Hierarchy

- OC-1 51.84 Mbps
 - OC-3 155.52 Mbps
 - OC-6 622.08 Mbps
 - OC-12 1244.16 Mbps
 - OC-48 2.48832 Gbps
 - OC-192 9.95328 Gbps
 - OC-768 ≈ 40 Gbps
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- Compare to the evolution of standard rates for Ethernet
 - 10 Mbps
 - 100 Mbps
 - 1 Gbps
 - 10 Gbps
 - 40 Gbps

Wavelength division multiplexing (WDM)

- Combining multiple wavelengths over the same optical fiber
- For example 16 wavelengths, each at 2.5 Gbps can provide a rate of about 40 Gbps. (OC-48 x 16)
- Using optical add drop multiplexers
- Optical switches
- A lightpath is a logical connection from a start node to an end node going through intermediate nodes.
 - Same wavelength throughout
 - Reallocating of a wavelength at intermediate nodes (switching)
 - Protection paths
 - Wavelength switching capabilities

Code Division Multiplexing

- Suppose many stations want to transmit and only need a narrow band signal.
- CDMA (code division multiple access) allows multiple stations to transmit “sharing a wide frequency band.
- Each station actually transmits over the entire frequency band and multiple transmissions are separated using coding theory.
- Each bit time is subdivided into m chip times (m is generally 64 or 128) . Each station is assigned a chip sequence which is viewed as a code sequence of $+1$ or -1 of length m .
 - Let $m = 8$ for an example. A chip sequence might be $(-1, -1, -1, +1, +1, -1, +1, +1)$ and is what the station transmits for sending the 1 bit. To transmit a 0 the station transmits the negation of the chip sequence.
- Chip sequences assigned to stations have mathematical properties that allow stations to simultaneously transmit but still let a receiver figure out what a specific station transmitted as long as you know the transmitters chip sequence.