



COP4020

Programming

Languages

Semantics

Robert van Engelen & Chris Lacher



Overview

- Static semantics
- Dynamic semantics
- Attribute grammars
- Abstract syntax trees

Static Semantics

- *Syntax* concerns the form of a valid program, while *semantics* concerns its meaning
 - Context-free grammars are not powerful enough to describe certain rules, e.g. checking variable declaration with variable use
- *Static semantic* rules are enforced by a compiler at compile time
 - Implemented in semantic analysis phase of the compiler
- Examples:
 - Type checking
 - Identifiers are used in appropriate context
 - Check subroutine call arguments
 - Check labels

Dynamic Semantics

- *Dynamic semantic* rules are enforced by the compiler by generating code to perform the checks at run-time
- Examples:
 - Array subscript values are within bounds
 - Arithmetic errors
 - Pointers are not dereferenced unless pointing to valid object
 - A variable is used but hasn't been initialized
- Some languages (Euclid, Eiffel) allow programmers to add explicit dynamic semantic checks in the form of assertions, e.g.
`assert denominator not= 0`
- When a check fails at run time, an exception is raised

Attribute Grammars

- An attribute grammar “connects” syntax with semantics
- Each grammar production has a *semantic rule* with *actions* (e.g. assignments) to modify values of *attributes* of (non)terminals
 - A (non)terminal may have any number of attributes
 - Attributes have values that hold information related to the (non)terminal
- General form:

production

$\langle A \rangle ::= \langle B \rangle \langle C \rangle$

semantic rule

$A.a := \dots; B.a := \dots; C.a := \dots$

- Semantic rules are used by a compiler to enforce static semantics and/or to produce an abstract syntax tree while parsing tokens
- Can also be used to build simple language interpreters

Example Attributed Grammar

- The `val` attribute of a (non)terminal holds the subtotal value of the subexpression
- Nonterminals are indexed in the attribute grammar to distinguish multiple occurrences of the nonterminal in a production

production

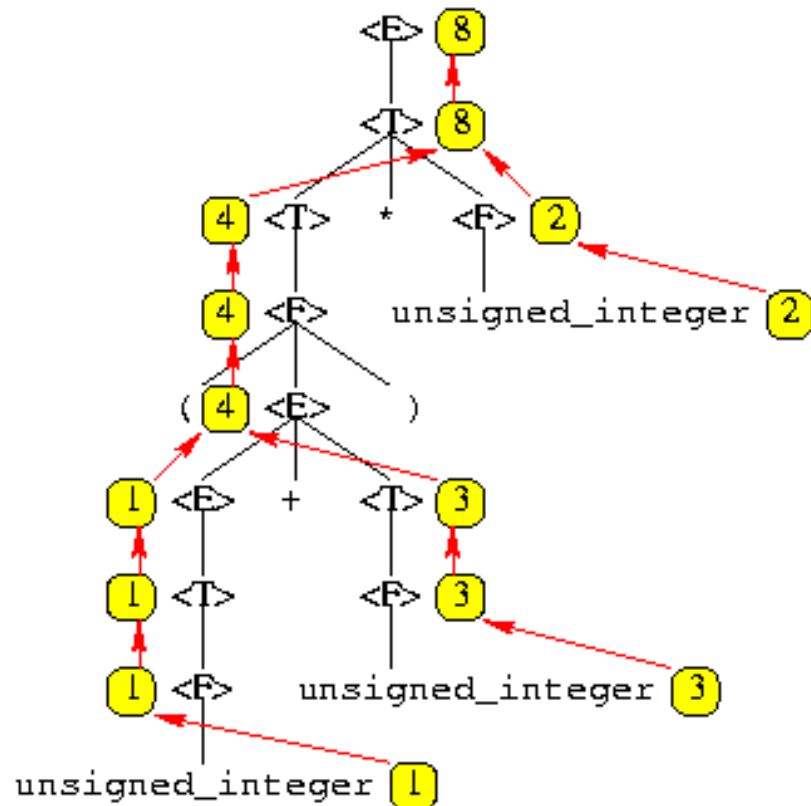
$\langle E_1 \rangle ::= \langle E_2 \rangle + \langle T \rangle$
 $\langle E_1 \rangle ::= \langle E_2 \rangle - \langle T \rangle$
 $\langle E \rangle ::= \langle T \rangle$
 $\langle T_1 \rangle ::= \langle T_2 \rangle * \langle F \rangle$
 $\langle T_1 \rangle ::= \langle T_2 \rangle / \langle F \rangle$
 $\langle T \rangle ::= \langle F \rangle$
 $\langle F_1 \rangle ::= - \langle F_2 \rangle$
 $\langle F \rangle ::= (\langle E \rangle)$
 $\langle F \rangle ::= \text{unsigned_int}$

semantic rule

$E_1.\text{val} := E_2.\text{val} + T.\text{val}$
 $E_1.\text{val} := E_2.\text{val} - T.\text{val}$
 $E.\text{val} := T.\text{val}$
 $T_1.\text{val} := T_2.\text{val} * F.\text{val}$
 $T_1.\text{val} := T_2.\text{val} / F.\text{val}$
 $T.\text{val} := F.\text{val}$
 $F_1.\text{val} := -F_2.\text{val}$
 $F.\text{val} := E.\text{val}$
 $F.\text{val} := \text{unsigned_int.val}$

Decorated Parse Trees

- A parser produces a parse tree that is *decorated* with the attribute values



- Example decorated parse tree of $(1+3)*2$ with the val attributes

Synthesized Attributes

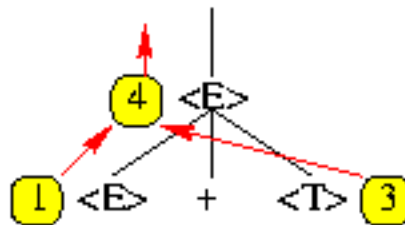
- *Synthesized attributes* of a node hold values that are computed from attribute values of the *child* nodes in the parse tree and therefore information flows **upwards**

production

$\langle E_1 \rangle ::= \langle E_2 \rangle + \langle T \rangle$

semantic rule

$E_1.\text{val} := E_2.\text{val} + T.\text{val}$



Inherited Attributes

- *Inherited attributes* of *child* nodes are set by the *parent* node and therefore information flows **downwards**

production

$\langle E \rangle ::= \langle T \rangle \langle TT \rangle$

semantic rule

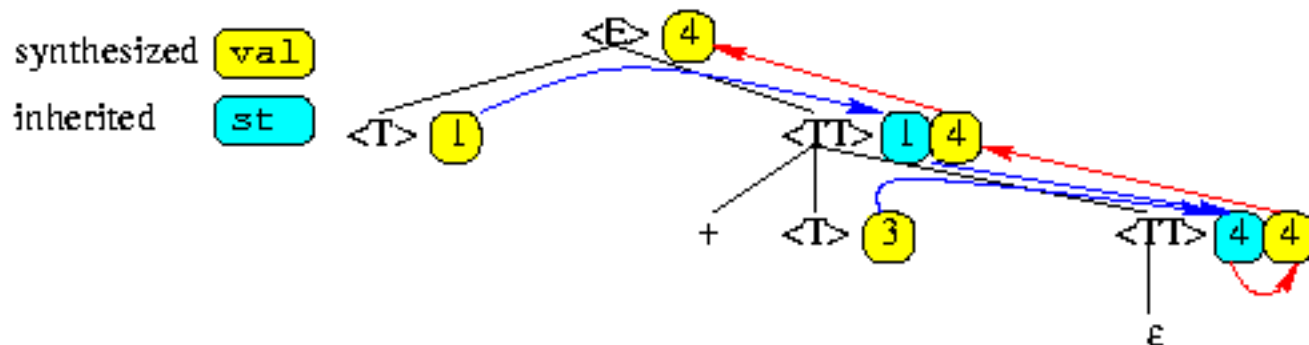
$TT.st := T.val; E.val := TT.val$

$\langle TT_1 \rangle ::= + \langle T \rangle \langle TT_2 \rangle$

$TT_2.st := TT_1.st + T.val; TT_1.val := TT_2.val$

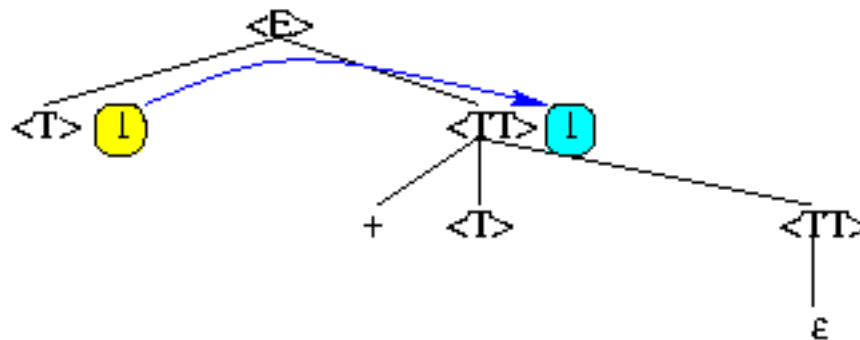
$\langle TT \rangle ::= \epsilon$

$TT.val := TT.st$



Attribute Flow

- An *attribute flow algorithm* propagates attribute values through the parse tree by traversing the tree according to the *set* (write) and *use* (read) dependencies (an attribute must be set before it is used)



production

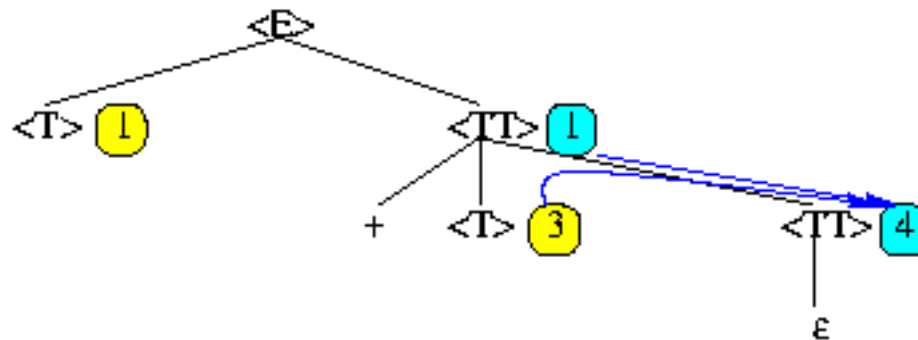
$\langle E \rangle ::= \langle T \rangle \langle TT \rangle$

semantic rule

$TT.st := T.val$

Attribute Flow

- An *attribute flow algorithm* propagates attribute values through the parse tree by traversing the tree according to the *set* (write) and *use* (read) dependencies (an attribute must be set before it is used)



production

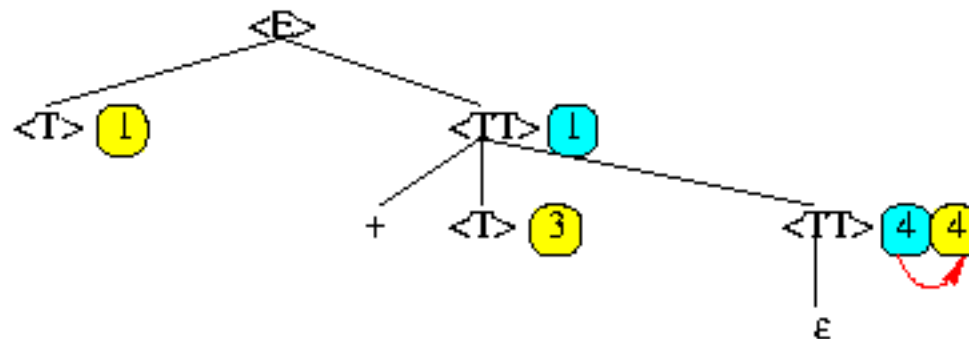
$\langle TT_1 \rangle ::= + \langle T \rangle \langle TT_2 \rangle$

semantic rule

$TT_2.st := TT_1.st + T.val$

Attribute Flow

- An *attribute flow algorithm* propagates attribute values through the parse tree by traversing the tree according to the *set* (write) and *use* (read) dependencies (an attribute must be set before it is used)



production

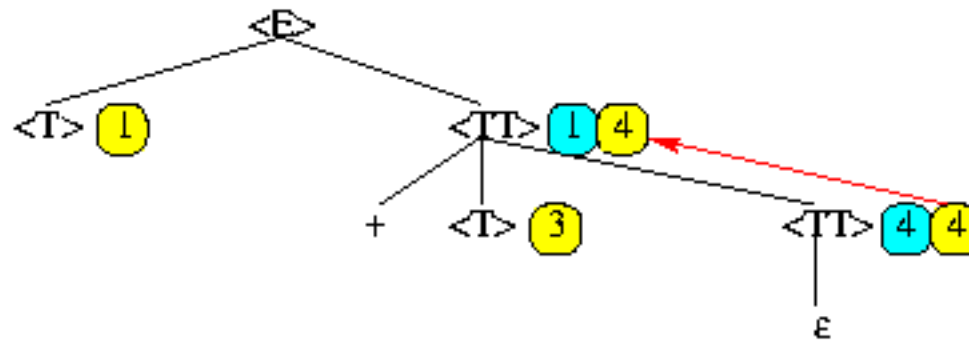
$\langle TT \rangle ::= \varepsilon$

semantic rule

$TT.\text{val} := TT.\text{st}$

Attribute Flow

- An *attribute flow algorithm* propagates attribute values through the parse tree by traversing the tree according to the *set* (write) and *use* (read) dependencies (an attribute must be set before it is used)



production

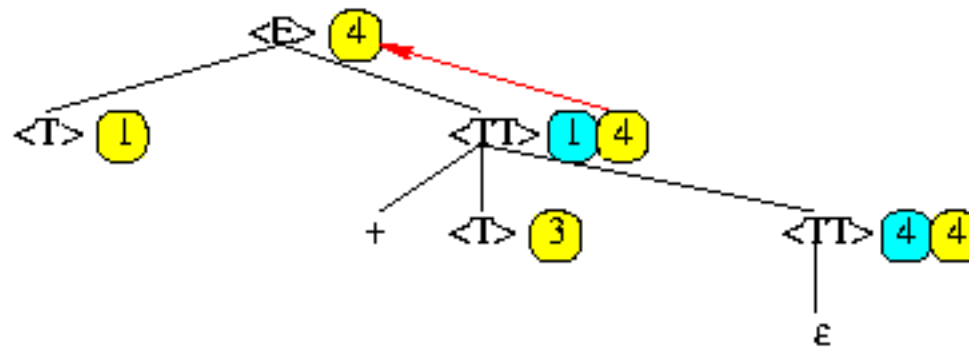
$\langle TT_1 \rangle ::= + \langle T \rangle \langle TT_2 \rangle$

semantic rule

$TT_1.\text{val} := TT_2.\text{val}$

Attribute Flow

- An *attribute flow algorithm* propagates attribute values through the parse tree by traversing the tree according to the *set* (write) and *use* (read) dependencies (an attribute must be set before it is used)



production

$\langle E \rangle ::= \langle T \rangle \langle TT \rangle$

semantic rule

$E.\text{val} := TT.\text{val}$

S- and L-Attributed Grammars

- A grammar is called *S-attributed* if all attributes are synthesized
- A grammar is called *L-attributed* if the parse tree traversal to update attribute values is always left-to-right and depth-first
 - Synthesized attributes always OK
 - Values of inherited attributes must be passed down to children from left to right
 - Semantic rules can be applied immediately during parsing and parse trees do not need to be kept in memory
 - This is an essential grammar property for a one-pass compiler
- An S-attributed grammar is a special case of an L-attributed grammar

Example L-Attributed Grammar

- Implements a calculator

production

$\langle E \rangle ::= \langle T \rangle \langle TT \rangle$
 $\langle TT_1 \rangle ::= + \langle T \rangle \langle TT_2 \rangle$
 $\langle TT_1 \rangle ::= - \langle T \rangle \langle TT_2 \rangle$
 $\langle TT \rangle ::= \varepsilon$
 $\langle T \rangle ::= \langle F \rangle \langle FT \rangle$
 $\langle FT_1 \rangle ::= * \langle F \rangle \langle FT_2 \rangle$
 $\langle FT_1 \rangle ::= / \langle F \rangle \langle FT_2 \rangle$
 $\langle FT \rangle ::= \varepsilon$
 $\langle F_1 \rangle ::= - \langle F_2 \rangle$
 $\langle F \rangle ::= (\langle E \rangle)$
 $\langle F \rangle ::= \text{unsigned_int}$

semantic rule

$TT.st := T.val; E.val := TT.val$
 $TT_2.st := TT_1.st + T.val; TT_1.val := TT_2.val$
 $TT_2.st := TT_1.st - T.val; TT_1.val := TT_2.val$
 $TT.val := TT.st$
 $FT.st := F.val; T.val := FT.val$
 $FT_2.st := FT_1.st * F.val; FT_1.val := FT_2.val$
 $FT_2.st := FT_1.st / F.val; FT_1.val := FT_2.val$
 $FT.val := FT.st$
 $F_1.val := -F_2.val$
 $F.val := E.val$
 $F.val := \text{unsigned_int.val}$

- Fully decorated parse tree of $(1+3)^*2$



Recursive Descent Parsing with L-Attributed Grammars

- Semantic rules are added to the bodies of the recursive descent functions and placed appropriately between the function calls
- Inherited attribute values are input arguments to the functions
 - Argument passing flows downwards in call graphs
- Synthesized attribute values are returned by functions
 - Return values flow upwards in call graphs

Example

production

$\langle E \rangle ::= \langle T \rangle \langle TT \rangle$

$\langle TT_1 \rangle ::= + \langle T \rangle \langle TT_2 \rangle$

$\langle TT_1 \rangle ::= - \langle T \rangle \langle TT_2 \rangle$

$\langle TT \rangle ::= \varepsilon$

semantic rule

$TT.st := T.val; E.val := TT.val$

$TT_2.st := TT_1.st + T.val; TT_1.val := TT_2.val$

$TT_2.st := TT_1.st - T.val; TT_1.val := TT_2.val$

$TT.val := TT.st$

```
procedure E()
  Tval = T();
  Eval = TT(Tval);
  return Eval;
procedure TT(TTst)
  case (input_token())
  of '+': match('+');
           Tval = T();
           TTval = TT(TTst + Tval);
  of '-': match('-');
           Tval = T();
           TTval = TT(TTst - Tval);
  otherwise: TTval = TTst;
  return TTval;
```

Constructing Abstract Syntax Trees with Attribute Grammars

- Three operations to create nodes for an AST tree that represents expressions:
 - *mk_bin_op*(*op*, *left*, *right*): constructs a new node that contains a binary operator *op* and AST sub-trees *left* and *right* representing the operator's operands and returns pointer to the new node
 - *mk_un_op*(*op*, *node*): constructs a new node that contains a unary operator *op* and sub-tree *node* representing the operator's operand and returns pointer to the new node
 - *mk_leaf*(*value*): constructs an AST leaf that contains a value and returns pointer to the new node

An L-Attributed Grammar to Construct ASTs

- Semantic rules to build up an AST

production	semantic rule
$\langle E \rangle ::= \langle T \rangle \langle TT \rangle$	$TT.st := T.ptr; E.ptr := TT.ptr$
$\langle TT_1 \rangle ::= + \langle T \rangle \langle TT_2 \rangle$	$TT2.st := mk_bin_op("+", TT_1.st, T.ptr); TT_1.ptr := TT_2.ptr$
$\langle TT_1 \rangle ::= - \langle T \rangle \langle TT_2 \rangle$	$TT2.st := mk_bin_op("-", TT_1.st, T.ptr); TT_1.ptr := TT_2.ptr$
$\langle TT \rangle ::= \varepsilon$	$TT.ptr := TT.st$
$\langle T \rangle ::= \langle F \rangle \langle FT \rangle$	$FT.st := F.ptr; T.ptr := FT.ptr$
$\langle FT_1 \rangle ::= * \langle F \rangle \langle FT_2 \rangle$	$FT_2.st := mk_bin_op("*", FT_1.st, F.ptr); FT_1.ptr := FT_2.ptr$
$\langle FT_1 \rangle ::= / \langle F \rangle \langle FT_2 \rangle$	$FT_2.st := mk_bin_op("/", FT_1.st, F.ptr); FT_1.ptr := FT_2.ptr$
$\langle FT \rangle ::= \varepsilon$	$FT.ptr := FT.st$
$\langle F_1 \rangle ::= - \langle F_2 \rangle$	$F_1.ptr := mk_un_op("-", F_2.ptr)$
$\langle F \rangle ::= (\langle E \rangle)$	$F.ptr := E.ptr$
$\langle F \rangle ::= \text{unsigned_int}$	$F.ptr := mk_leaf(\text{unsigned_int.val})$

- Decorated parse tree of $(1+3)^*2$ with AST

